Deformation behaviour of nanocrystalline alloys simulated by *Hybrid MD/MC simulations* 





#### <u>Karsten Albe</u>, Jonathan Schäfer, Alexander Stukowski<sup>1</sup>, Yvonne Ritter

TU Darmstadt Institut für Materialwissenschaft FG Materialmodellierung

<sup>1</sup>Lawrence Livermore National Laboratory

Funded by DFG "Forschergruppe 714"

## Outline



Motivation: Deformation of nanocrystalline metals

#### Nanocrystalline Pd-Au:

- > Hybride MD-MC Scheme
- Method for dislocation detection: DXA
- Shortcutting diffusion
- Coupled motion



#### **Strengthening metals and alloys**





#### **Nanocrystalline metals**



- Grain size D < 100 nm</li>
- Large fraction of grain boundaries

#### **Special properties**

- Increased strength
- High wear resistance
- Superplasticity



Linear Flow Splitting

Bohn et al., J Mater Sci 43 (2008) 7307



2 mm

60 mm

26 mm



#### nc-Metals: Insights and Puzzles





#### ADVANCED ENGINEERING MATERIALS 2005, 7, No. 4

#### **Dislocation nucleation**





#### **GB** sliding





#### **Coupled GB motion**





**Thermal Activation: Stress Exponent** 



Orowan–Eq: 
$$\dot{\gamma} = \rho b \langle v \rangle = \rho b \bar{l} v = \rho b l v_o e^{-\frac{\Delta G^*(\tau^*)}{k_B T}}$$
  
 $\dot{\gamma} = \dot{\gamma}_o e^{-\frac{\Delta G^*(\tau^*)}{k_B T}} \rightarrow -k_B T \ln\left(\frac{\dot{\gamma}}{\dot{\gamma}_o}\right) = \Delta G^* = \Delta F^* - \tau \Delta V^*$   
Activation Volume:  $\Delta V^* = -\left(\frac{\partial \Delta G^*}{\partial \tau^*}\right)_T = \frac{k_B T}{\tau^* \left(\frac{\partial \ln \gamma}{\partial \ln \tau^*}\right)_T}$   
Stress Exponent:  $m = \left(\frac{\partial \ln \dot{\gamma}}{\partial \ln \tau^*}\right)_T = \frac{k_B T}{\Delta V^* \tau^*}$ 

#### nc-Metals: Insights and puzzles





Weissmüller and Markmann, Advanced Engineering Materials, 202, 7 (2005)

#### **Nanocrystalline Pd-Au: Experiments**





K. Yang et al., Acta Materialia 58 (2010) 967–978



# Modelling plasticity in nc alloys



Structure creation	Voronoi tesselation method
Grain size	5 to 15 nm
Annealing	Hybrid MD/MC method
miscible	PdAu
segregating	Cu + X X = Nb, Fe, Ag



# Variance constrained semi-grandcanonical scheme



- The VCSGC-MC method imposes a constraint on the variance of the concentration, and allows for equilibration at arbitrary global concentrations.
- It allows to model the equilibrium properties of phase segregated multicomponent systems containing millions of particles.



A scalable parallel Monte Carlo algorithm for atomistic simulations of precipitation in alloys

Babak Sadigh,<sup>1, \*</sup> Paul Erhart,<sup>1, †</sup> Alexander Stukowski,<sup>1</sup> Alfredo Caro,<sup>1, 2</sup> Enrique Martinez,<sup>1, 2</sup> and Luis Zepeda-Ruiz<sup>1</sup>

#### **Acceptance Probabilities**



Canonical

$$\mathcal{A}_{\mathrm{C}} = \min\left\{1, \exp\left[-\beta\Delta U\right]\right\}$$

Semi-Grandcanonical

$$\mathcal{A}_{S} = \min \left\{ 1, \exp \left[ -\beta (\Delta U + \Delta \mu N \Delta c) \right] \right\}$$

Variance Constrained Semi-Grandcanonical

$$\mathcal{A}_{\mathrm{V}} = \min\left\{1, \exp\left[-\beta\left(\Delta U + N\Delta c(\phi + 2\kappa N\tilde{c})\right)\right]\right\}$$

# Variance constrained semi-grandcanonical scheme: *Parallelization*









# **OVITO** (Open Visualization Tool)



Visualization and analysis software for atomistic simulation data:

- Platform-independent
- Easy-to-use graphical user interface
- Extendable (plug-in architecture)
- Supports scripting / batch-processing
- >110.000 lines of code (C++)
- Freely available at http://ovito.org/





#### Annealing + Alloying: PdAu





#### PdAu: Tensile straining: $\dot{\epsilon}$ =10<sup>8</sup> s<sup>-1</sup>; T=300K





#### **Dislocations extraction algorithm**





#### **Dislocation extraction algorithm**





#### **Automated dislocation detection**

What can we do with it?

- Measure..
  - Dislocation density
  - Dislocation characters
  - Activation rate of slip systems
  - Types of dislocation junctions
  - ...
- Reduce output data size (by ~99.9 %)
- Link MD to other models...
  - Discrete dislocation dynamics (DD) models
  - Continuum plasticity models (via dislocation density tensor)





#### PdAu: Tensile straining, $\dot{\epsilon}$ =10<sup>8</sup> s<sup>-1</sup>; T=300K





#### **PdAu: alloying effects**





#### Role of GB equilibration and reloading





#### **PdAu: equilibration effects**





#### ",Steady-State" of GB ?





#### **PdAu: Equilibration effects ?**





### Deformation mechanisms: Variation of GB composition?





#### **GB** composition during straining





#### **Shortcutting Diffusion**





#### **Shortcutting Diffusion**





#### Altering the Balance: 300 K, $\dot{\varepsilon}$ =10<sup>8</sup> s<sup>-1</sup>





#### Jump tests





#### **Coupled Motion vs. Sliding**



Subset of grain boundaries aligned



#### **Coupled Motion vs. Sliding: Pd**





#### **Coupled Motion vs. Sliding: Pd**





#### **Coupled Motion vs. Sliding: PdAu**





## Coupled Motion vs. Sliding: PdAu (with MC)





#### **Coupled Motion vs. Sliding: Cu-Nb**





#### Conclusions



#### The effect of miscible solutes

- The solute distribution in nc alloys is not necessarily homogeneous also for miscible solutes
- Miscible solutes increase the strength of the material for all studied grain sizes by decreasing the free volume in the GBs
- The GB composition is adjusting during deformation

#### The role of the local kinetics

- Diffusional processes can alter the effect of miscible solutes
- If local kinetics allow for a sufficiently fast redistribution of solutes, no strengthening is observed
- The effect on the deformation mechanism was demonstrated for coupled GB motion

Financial support: DFG714 Computing time: JuRoPA